

```

mStates <- c("A", "IS", "ISR", "M", "MR", "B1", "B2", "B3", "B4", "B5", "B6", "BS", "C", "CR", "CCS",
"ER", "ER", "ELCS", "EMCS", "EHCS", "ERCS", "TF", "D");

qcStates <- c("Q1", "Q2", "Q3", "Q4", "Q5", "Q6", "Q7", "Q8", "Q9", "Q10", "Q11", "Q12", "Q13", "Q14", "Q15",
"Q16", "Q17", "Q18", "Q19", "Q20", "Q21", "Q22", "Q23", "Q24", "Q25", "Q26", "Q27", "Q28", "Q29", "Q30",
"Q31", "Q32", "Q33", "Q34", "Q35", "Q36", "Q37", "Q38", "Q39", "Q40", "Q41", "Q42", "Q43", "Q44", "Q45",
"Q46", "Q47", "Q48", "Q49", "Q50", "Q51", "Q52", "Q53", "Q54", "Q55", "Q56", "Q57", "Q58", "Q59", "Q60",
"Q61", "Q62", "Q63", "Q64",
"C1", "C2", "C3", "C4", "C5", "C6", "C7", "C8", "C9", "C10", "C11", "C12", "C13", "C14", "C15",
"C16", "C17", "C18", "C19", "C20", "C21", "C22", "C23", "C24", "C25", "C26", "C27", "C28", "C29", "C30",
"C31", "C32", "C33", "C34", "C35", "C36", "C37", "C38", "C39", "C40", "C41", "C42", "C43", "C44", "C45",
"C46", "C47", "C48", "C49", "C50", "C51", "C52", "C53", "C54", "C55", "C56", "C57", "C58", "C59", "C60",
"C61", "C62", "C63", "C64");

nTX <- 64
nStates <- 25;
cohort <- 1000
nCycles <- 58;
#nSims <- 1;
YrCycles <- 12; ##used to convert annual utilities to cycle length utilities
mcmcdf <- function(pnStates, n){
  emcmc <- matrix(data=rep(0, (n*(length(pnStates)+1))), nrow=n, ncol=(length(pnStates)+1)); ##SR: creates a matrix of zero values
  ## where the number of rows is the cohort, and the number of columns is the number of states + 1 (not sure yet why there
  ## needs to be a column of 1 to n)
  colnames(emcmc) <- c("ID", pnStates);
  emcmc[,1] <- seq(1,n);
  (data.frame(emcmc));
}

rmdf <- function(pnStates, n){
  rmd <- matrix(data=rep(0, (n*(length(pnStates)+1))), nrow=n, ncol=(length(pnStates)+1)); ##SR: creates a matrix of zero values
  ## where the number of rows is the cohort, and the number of columns is the number of states + 1 (not sure yet why there
  ## needs to be a column of 1 to n)
  colnames(rmd) <- c("ID", pnStates);
  rmd[,1] <- seq(1,n);
  (rmd);
}

df <- function(c, r){
  pm <- matrix(data=rep(0, r*c), nrow=r, ncol=c); ##SR: creates a matrix of zero values
  ## where the number of rows is the cohort, and the number of columns is the number of states + 1 (not sure yet why there
  ## needs to be a column of 1 to n)
  #colnames(pm) <- c(pnStates);
  (pm);
}

#####
#####
df1<-df(10500,nSims)
#df1<-MMcreateMatrix2(df, 5389, 10)
df1<-df(10500,nSims)
dfe<-df(10500,nSims)
rmd<-rmdf(qcStates, nSims)
mcmc <- mcmcdf(qcStates, nSims)
#trans<-tab.dat$names(mStates)
#mModel <- MMcreateMatrix(trans, nStates, mStates)

#####

#antiperspirants drop out rate
df1[,70]<-rbeta(nSims,0.611,0.505)
P_R <- rbeta(nSims,5.977938,38.40171) ##Placebo response
df1[,1]<-P_R
lor<-tab.dat$CU[sample(nrow(tab.dat$CU),size=nSims,replace=TRUE),]
if (sap1==7){
  lor<-tab.dat$MSU[sample(nrow(tab.dat$MSU),size=nSims,replace=TRUE),]
}
#write.csv(lor$CU, file = "lor.csv")
logISP_ORm<-1.11
if (det==1){}
if (det==2){
  logISP_ORm<-1.11
  if (sap1==9){
    logISP_ORm<-runif(nSims,0,2.22)
  }
}
ISP_ORm<-exp(logISP_ORm)
#ISP_ORm <- 0.4 ##relative risk mean of Iontophoresis sponge vs botox. Vary this in sensitivity analysis.
df1[,2]<-ISP_ORm
#ISB_RR <- exp(ISB_lnRR) ##convert back to RR from LN(RR)
ISP_OR <- ISP_ORm
ISP_RR<-ISP_OR/(1-df1[,1]*(1-ISP_OR))
if (sap6==1){}
if (sap6==2){
  ISP_RR<-isrr
}
IS_R <- df1[,1]*ISP_RR
df1[,3]<-IS_R
df1[,3]<-ifelse(df1[,3]>1,1,df1[,3])
#IS_NR <- 1-IS_R
df1[,4]<-1-df1[,3]
IS_SE<-0.16
if (det==2){
  IS_SE <- rbeta(nSims,0.511,2.709) ##drop out rate due to side effects
}
df1[,5]<-IS_SE
#IS_NSE <- 1-IS_SE
df1[,6]<-1-df1[,5]
df1[,7]<-exp(2.064)
if (det==2){
  #MP_orCU<-exp(lor$mp)
}

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dfi[,7]<-exp(lor$mp)
}
#MP_RR<-MP_OR/(1-P_R*(1-MP_OR))
dfi[,8]<-dfi[,7]/(1-dfi[,1]*(1-dfi[,7]))
#MP_RR <- exp(MP_lnRR) ##convert back to RR from LN(RR)
#dfi[,8]<-dfi[,7]
#M_R <- P_R*MP_RR
dfi[,9]<-dfi[,1]*dfi[,8]
dfi[,9]<-ifelse(dfi[,9]>1,1,dfi[,9])
#M_NR <- 1-M_R
dfi[,10]<-1-dfi[,9]
M_SE<-0.37
if (det==2){
  M_SE <- rbeta(nSims,0.962,1.652) ##drop out rate due to side effects
}
dfi[,11]<-M_SE
#M_NSE <- 1-M_SE
dfi[,12]<-1-dfi[,11]
M_SR <- 1 ##Sustained response: change in sensitivity analysis
if (sap1==5){
  M_SR <- 0.9975 #moderate decline in effectiveness over time
}
if (sap1==6){
  M_SR <- 0.99 #considerable decline in effectiveness over time
}
dfi[,13]<-M_SR
#####
dfi[,14]<-exp(2.218)
if (det==2){
  #BP_orCU<-exp(lor$bp)
  dfi[,14]<-exp(lor$bp)
}
#BP_RR<-BP_OR/(1-P_R*(1-BP_OR))
dfi[,15]<-dfi[,14]/(1-dfi[,1]*(1-dfi[,14]))
#BP_RR <- exp(BP_lnRR) ##convert back to RR from LN(RR)
#dfi[,15]<-dfi[,14]
#B_R <- P_R*BP_RR
dfi[,16]<-dfi[,1]*dfi[,15]
dfi[,16]<-ifelse(dfi[,16]>1,1,dfi[,16])
#B_NR <- 1-B_R
dfi[,17]<-1-dfi[,16]
B_SE<-0
if (sap5==1){}
if (sap5==2){
  B_SE<-0.1
}
if (sap5==3){
  B_SE<-0.2
}
#B_SE <- 0 ##drop out rate due to side effects
#if (det==2){
#  B_SE<-dunif(nSims,0,0.5)
#}
dfi[,18]<-B_SE
#B_NSE <- 1-B_SE
dfi[,19]<-1-dfi[,18]
#####
dfi[,20]<-exp(1.417)
if (det==2){
  #CP_orCU<-exp(lor$cp)
  dfi[,20]<-exp(lor$cp)
}
if (sap4==1){}
if (sap4==2){
  dfi[,20]<-exp(2.198)
if (det==2){
  #CP_orCU<-exp(lor$cp)
  dfi[,20]<-exp(lor$cp)
}
}
if (sap4==3){
  dfi[,20]<-exp(2.705)
if (det==2){
  #CP_orCU<-exp(lor$cp)
  dfi[,20]<-exp(lor$cp)
}
}
if (sap4==4){
  dfi[,20]<-exp(2.728)
if (det==2){
  #CP_orCU<-exp(lor$cp)
  dfi[,20]<-exp(lor$cp)
}
}
#CP_RR<-CP_OR/(1-P_R*(1-CP_OR))
dfi[,21]<-dfi[,20]/(1-dfi[,1]*(1-dfi[,20]))
#CB_RR <- exp(CB_lnRR) ##convert back to RR from LN(RR)
#dfi[,21]<-dfi[,20]
#C_R <- P_R*CP_RR
dfi[,22]<-dfi[,1]*dfi[,21]
dfi[,22]<-ifelse(dfi[,22]>1,1,dfi[,22])
#C_NR <- 1-C_R
dfi[,23]<-1-dfi[,22]
#CCS <- 0.02
dfi[,24]<-0
E_R <- 340/1700
ELCS <- 394/1700
EMCS <- 409/1700
EHCS <- 367/1700
ERCS <- 190/1700
if (sap1==8){

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E_R <- 37/453
ELCS <- 92/453
EMCS <- 174/453
EHCS <- 150/453
ERCS <- 0
}
if (det==2){
draws <- rdirichlet(nSims, c(340,394,409,367,190)) #compensatory sweating random draw: smidfelt 2011
E_R <- draws[,1]
ELCS <- draws[,2]
EMCS <- draws[,3]
EHCS <- draws[,4]
ERCS <- draws[,5]
}
}
if (sap1==1){}
if (sap1==2){
draws <- rdirichlet(nSims, c(37,92,174,150)) #compensatory sweating random draw: wolosker 2012
E_R <- draws[,1]
ELCS <- draws[,2]
EMCS <- draws[,3]
EHCS <- draws[,4]
ERCS <- 0
}
}
df[,25]<-E_R
df[,26]<-ELCS
df[,27]<-EMCS
df[,28]<-EHCS
df[,29]<-ERCS
#derive the HDSS0/1 and HDSS3/2 ratios
df[,30]<-ifelse(df[,3]<=0.5,exp(1.2076-5.8374*df[,3]),0.38) #IS_R HDSS_01_IS
df[,31]<-ifelse(df[,3]<=0.5,0.38,exp(-4.6407+5.8278*df[,3])) #IS_R HDSS_32_IS
df[,32]<-ifelse(df[,9]<=0.5,exp(1.2076-5.8374*df[,9]),0.38) #M_R HDSS_01_M
df[,33]<-ifelse(df[,9]<=0.5,0.38,exp(-4.6407+5.8278*df[,9])) #M_R HDSS_32_M
df[,34]<-ifelse(df[,16]<=0.5,exp(1.2076-5.8374*df[,16]),0.38) #B_R HDSS_01_B
df[,35]<-ifelse(df[,16]<=0.5,0.38,exp(-4.6407+5.8278*df[,16])) #B_R HDSS_32_B
df[,36]<-ifelse(df[,22]<=0.5,exp(1.2076-5.8374*df[,22]),0.38) #C_R HDSS_01_C
df[,37]<-ifelse(df[,22]<=0.5,0.38,exp(-4.6407+5.8278*df[,22])) #C_R HDSS_32_C

#determine the HDSS states conditional on response
#Ris0<-(IS_NR*HDSS_01_IS)/(1+HDSS_01_IS)
df[,38]<-(df[,4]*df[,30])/(1+df[,30])
#Ris1<-(IS_NR/(1+HDSS_01_IS)
df[,39]<-df[,4]/(1+df[,30])
#Ris2<-(IS_R/(1+HDSS_32_IS)
df[,40]<-df[,3]/(1+df[,31])
#Ris3<-(IS_R*HDSS_32_IS)/(1+HDSS_32_IS)
df[,41]<-(df[,3]*df[,31])/(1+df[,31])
#Rm0<-(M_NR*HDSS_01_M)/(1+HDSS_01_M)
df[,42]<-(df[,10]*df[,32])/(1+df[,32])
#Rm1<-(M_NR/(1+HDSS_01_M)
df[,43]<-df[,10]/(1+df[,32])
#Rm2<-(M_R/(1+HDSS_32_M)
df[,44]<-df[,9]/(1+df[,33])
#Rm3<-(M_R*HDSS_32_M)/(1+HDSS_32_M)
df[,45]<-(df[,9]*df[,33])/(1+df[,33])
#Rb0<-(B_NR*HDSS_01_B)/(1+HDSS_01_B)
df[,46]<-(df[,17]*df[,34])/(1+df[,34])
#Rb1<-(B_NR/(1+HDSS_01_B)
df[,47]<-df[,17]/(1+df[,34])
#Rb2<-(B_R/(1+HDSS_32_B)
df[,48]<-df[,16]/(1+df[,35])
#Rb3<-(B_R*HDSS_32_B)/(1+HDSS_32_B)
df[,49]<-(df[,16]*df[,35])/(1+df[,35])
#Rc0<-(C_NR*HDSS_01_C)/(1+HDSS_01_C)
df[,50]<-(df[,23]*df[,36])/(1+df[,36])
#Rc1<-(C_NR/(1+HDSS_01_C)
df[,51]<-df[,23]/(1+df[,36])
#Rc2<-(C_R/(1+HDSS_32_C)
df[,52]<-df[,22]/(1+df[,37])
#Rc3<-(C_R*HDSS_32_C)/(1+HDSS_32_C)
df[,53]<-(df[,22]*df[,37])/(1+df[,37])
#determine partial responders with adverse events and no responders with or without adverse events. For the purpose
#of calculating the probability of minor surgery
#Ris_partial<-Ris1*IS_NSE
df[,61]<-df[,39]*df[,6]
#Ris_noresp<-Ris0+Ris1-Ris_partial+IS_R*IS_SE
df[,62]<-df[,38]+df[,39]-df[,61]+df[,3]*df[,5]
#Ris_ratio<-Ris_noresp/(Ris_noresp+Ris_partial)
df[,63]<-df[,62]/(df[,62]+df[,61])
#Rm_partial<-Rm1*M_NSE
df[,64]<-df[,43]*df[,12]
#Rm_noresp<-Rm0+Rm1-Rm_partial+M_R*M_SE
df[,65]<-df[,42]+df[,43]-df[,64]+df[,9]*df[,11]
#Rm_ratio<-Rm_noresp/(Rm_noresp+Rm_partial)
df[,66]<-df[,65]/(df[,65]+df[,64])
#Rb_partial<-Rb1*B_NSE
df[,67]<-df[,47]*df[,19]
#Rb_noresp<-Rb0+Rb1-Rb_partial+B_R*B_SE
df[,68]<-df[,46]+df[,47]-df[,67]+df[,16]*df[,18]
#Rb_ratio<-Rb_noresp/(Rb_noresp+Rb_partial)
df[,69]<-df[,68]/(df[,68]+df[,67])
##Utilities
avpop_utility1<-tab.datU
avpop_utility<-as.numeric(avpop_utility1)
#df[,54]<-avpop_utility
HDSS2_draw <- 0.906
if (det==2){
HDSS2_draw <- rbeta(nSims,416.6093,43.27513)
}
df[,55]<-HDSS2_draw
#HDSS2_utility <- 1-((1-HDSS2_draw)*1.594)

```

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dfi[,56]<-1-((1-dfi[,55])*1.594)
HDSS3_draw <- 0.875
if (det==2){
HDSS3_draw <- rbeta(nSims,391.017,55.77788)
}
dfi[,57]<-HDSS3_draw
#HDSS3_utility <- 1-((1-HDSS3_draw)*1.594)
dfi[,58]<-1-((1-dfi[,57])*1.594)
HDSS4_draw <- 0.805
if (det==2){
HDSS4_draw <- rbeta(nSims,276.24,66.96217)
}
dfi[,59]<-HDSS4_draw
#HDSS4_utility <- 1-((1-HDSS4_draw)*1.594)
dfi[,60]<-1-((1-dfi[,59])*1.594)
##Costs
#cost-to-charge ratio distribution
dfi[,71]<-rnorm(nSims,0.648,0.167)
cp<-tab.datC
cp["A"]<-cp["A"]*(1-dfi[,70])
if (sap1==10){
#cp["ISR"]<-5.64: 10 year time horizon
cp["ISR"]<-5.64
cp["IS"]<-153.81
}
if (sap4==2){
cp<-tab.datClaser
cp["C"]<-69+3.72+3768
}
if (sap4==3){
cp<-tab.datCmicro
cp["C"]<-69+3.72+(1495*2)
}
if (sap4==4){
cp<-tab.datCradio
cp["C"]<-69+3.72+1169.7
}
#if (sap2==2){
# cp["C"]<- 1006.94*(1/0.63) #cost of radiofrequency
#}
#if (sap2==3){
# cp["C"]<- 1010.85*2 #cost of two microwave visits
#}
if (sap2==4){
cp["ISR"]<- 3.37 #Cost of NHS subsidising home iontophoresis
}
if (sap2==5){
cp["M1"]<- 283.39+45.21+11.42 #sensitivity analysis of glycopyrrolate medication costs
cp["M2"]<- 283.39+45.21+11.42 #sensitivity analysis of glycopyrrolate medication costs
cp["M3"]<- 283.39+45.21+11.42 #sensitivity analysis of glycopyrrolate medication costs
cp["MR"]<- 283.39+11.42
}
if (sap2==6){
cp["M1"]<- 45.21+11.42+(283.39+28.13)/2 #sensitivity analysis of half taking glycopyrrolate and half taking propantheline costs
cp["M2"]<- 45.21+11.42+(283.39+28.13)/2 #sensitivity analysis of half taking glycopyrrolate and half taking propantheline costs
cp["M3"]<- 45.21+11.42+(283.39+28.13)/2 #sensitivity analysis of half taking glycopyrrolate and half taking propantheline costs
cp["MR"]<- 11.42+(283.39+28.13)/2
}
if (sap2==7){
cp["M1"]<- 45.21+11.42+283.39*(4/35) #sensitivity analysis of emergency glycopyrrolate medication costs
cp["M2"]<- 45.21+11.42+283.39*(4/35) #sensitivity analysis of emergency glycopyrrolate medication costs
cp["M3"]<- 45.21+11.42+283.39*(4/35) #sensitivity analysis of emergency glycopyrrolate medication costs
cp["MR"]<- 11.42+283.39*(4/35)
}
if (sap2==8){
cp["C"]<- 1195.1+3.72 #sensitivity analysis of infection rate of 10%
}
rt<-as.numeric(cp)
for (i in 1:nStates){
dfi[,100+i]<-rt[i]
}
#Account for private-to-NHS cost ratio uncertainty
if (sap4==2){
dfi[,115]<-dfi[,115]*dfi[,71]
}
if (sap4==3){
dfi[,115]<-dfi[,115]*dfi[,71]
}
##mortality risk
mr <- tab.datMR
rtrisk<-as.numeric(mr)
#####
##CAI prob functions
#b<-20
for (b in 1:64){
# dft1<-nTreat(b,dft,sap2)
#####
#derive the probabilities of receiving either medication, iontophoresis or antiperspirants following
#treatment failure or compensatory sweating. These are conditional on the treatment sequence
#####
dfe<-dft
if (b == 49|b == 50|b == 51|b == 52|b == 61|b == 62|b == 63|b == 64)
b == 41|b == 42|b == 43|b == 44|b == 53|b == 54|b == 55|b == 56
b == 47|b == 48|b == 59|b == 60
b == 46|b == 58|b == 45|b == 57){
#tMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-(dfe[,43]/(dfe[,43]+dfe[,42]+dft[,9]*dft[,11]))*dfe[,12]
#tION<-(1+tMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-(1-dfe[,86])*(dfe[,39]/(dfe[,39]+dfe[,38]+dft[,3]*dft[,5]))*dfe[,6]
#tBOT<-(1+tMED)*(1-tION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-(1-dfe[,86]-dfe[,87])*(dfe[,47]/(dfe[,47]+dfe[,46]+dft[,16]*dft[,18]))*dfe[,19]
}

```

```

#fANTI<-1-tfMED+tfON-tfBOT
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]
#noben<-Ris_ratio*Rm_ratio*Rb_ratio
dfe[,90]<- dfe[,63]*dfe[,66]*dfe[,69]
#maxben<-min(Ris_ratio,Rm_ratio,Rb_ratio)
dfe[,91]<- min(dfe[,63],dfe[,66],dfe[,69])
} else if (b == 17) b == 18|b == 19|b == 20|b == 23|b == 24|b == 22|b == 21) {
#fMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-(dfe[,43]/(dfe[,43]+dfe[,42]+dfe[,9]*dfe[,11]))*dfe[,12]
#fION<-(1-tfMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-0
#fBOT<-(1-tfMED)*(1-tfION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-(1-dfe[,86]-dfe[,87])*dfe[,47]/(dfe[,47]+dfe[,46]+dfe[,16]*dfe[,18]))*dfe[,19]
#fANTI<-1-tfMED-tfION
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]

#noben<-Rm_ratio*Rb_ratio
dfe[,90]<- dfe[,66]*dfe[,69]
#maxben<-min(Rm_ratio,Rb_ratio)
dfe[,91]<- min(dfe[,66],dfe[,69])
} else if (b == 25) b == 26|b == 27|b == 28|b == 29|b == 30|b == 31|b == 32) {
#fMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-0
#fION<-(1-tfMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-(1-dfe[,86]*dfe[,39]/(dfe[,39]+dfe[,38]+dfe[,3]*dfe[,5]))*dfe[,6]
#fBOT<-(1-tfMED)*(1-tfION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-(1-dfe[,86]-dfe[,87])*dfe[,47]/(dfe[,47]+dfe[,46]+dfe[,16]*dfe[,18]))*dfe[,19]
#fANTI<-1-tfMED-tfION-tfBOT
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]
#noben<-Ris_ratio*Rb_ratio
dfe[,90]<- dfe[,63]*dfe[,69]
#maxben<-min(Ris_ratio,Rb_ratio)
dfe[,91]<- min(dfe[,63],dfe[,69])
} else if (b == 33) b == 34|b == 35|b == 36|b == 37|b == 38|b == 39|b == 40) {
#fMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-(dfe[,43]/(dfe[,43]+dfe[,42]+dfe[,9]*dfe[,11]))*dfe[,12]
#fION<-(1-tfMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-(1-dfe[,86]*dfe[,39]/(dfe[,39]+dfe[,38]+dfe[,3]*dfe[,5]))*dfe[,6]
#fBOT<-(1-tfMED)*(1-tfION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-0
#fANTI<-1-tfMED-tfION-tfBOT
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]
#noben<-Ris_ratio*Rm_ratio
dfe[,90]<- dfe[,63]*dfe[,66]
#maxben<-min(Ris_ratio,Rm_ratio)
dfe[,91]<- min(dfe[,63],dfe[,66])
} else if (b == 13) b == 14|b == 15|b == 16) {
#fMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-0
#fION<-(1-tfMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-(1-dfe[,86]*dfe[,39]/(dfe[,39]+dfe[,38]+dfe[,3]*dfe[,5]))*dfe[,6]
#fBOT<-(1-tfMED)*(1-tfION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-0
#fANTI<-1-tfMED-tfION-tfBOT
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]
#noben<-Ris_ratio
dfe[,90]<- dfe[,63]
#maxben<-Ris_ratio
dfe[,91]<- dfe[,63]
} else if (b == 9) b == 10|b == 11|b == 12) {
#fMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-(dfe[,43]/(dfe[,43]+dfe[,42]+dfe[,9]*dfe[,11]))*dfe[,12]
#fION<-(1-tfMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-0
#fBOT<-(1-tfMED)*(1-tfION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-0
#fANTI<-1-tfMED-tfION-tfBOT
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]
#noben<-Rm_ratio
dfe[,90]<- dfe[,66]
#maxben<-Rm_ratio
dfe[,91]<- dfe[,66]
} else if (b == 5) b == 6|b == 7|b == 8) {
#fMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-0
#fION<-(1-tfMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-0
#fBOT<-(1-tfMED)*(1-tfION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-(1-dfe[,86]-dfe[,87])*dfe[,47]/(dfe[,47]+dfe[,46]+dfe[,16]*dfe[,18]))*dfe[,19]
#fANTI<-1-tfMED-tfION-tfBOT
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]
#noben<-Rb_ratio
dfe[,90]<- dfe[,69]
#maxben<-Rb_ratio
dfe[,91]<- dfe[,69]
} else {
#fMED<-(RM1/(RM0+RM1+M_R*M_SE))*M_NSE
dfe[,86]<-0
#fION<-(1-tfMED)*(RIS1/(RIS0+RIS1+IS_R*IS_SE))*IS_NSE
dfe[,87]<-0
#fBOT<-(1-tfMED)*(1-tfION)*((RB1/(RB0+RB1+B_R*B_SE))*B_NSE
dfe[,88]<-0
#fANTI<-1-tfMED-tfION-tfBOT
dfe[,89]<-1-dfe[,86]-dfe[,87]-dfe[,88]
}
}

##cost of treatment failure/treating compensatory sweating
#cpTF<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)*(1-ANTI drop out)
dfe[,124]<-dfe[,86]*dfe[,88]*dfe[,87]*dfe[,88]*dfe[,114]/6+dfe[,89]*(3.01+11.42)*(1-dfe[,70])
#cpELCS<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
dfe[,120]<-dfe[,86]*(28.13+11.42)+dfe[,87]*dfe[,88]*dfe[,114]/6+dfe[,89]*(3.01+11.42)
#cpEMCS<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)

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dfe[,121]<-dfe[,86]*(28.13+11.42)+dfe[,87]*0+dfe[,88]*dfe[,114]/6+dfe[,89]*(3.01+11.42)
#cpEHCS<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,122]<-dfe[,86]*(28.13+11.42)+dfe[,87]*0+dfe[,88]*dfe[,114]/6+dfe[,89]*(3.01+11.42)
#cpERCS<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,123]<-dfe[,86]*(28.13+11.42)+dfe[,87]*0+dfe[,88]*dfe[,114]/6+dfe[,89]*(3.01+11.42)

if (b == 6|b == 8|b == 10|b == 12|b == 14|b == 16|b == 18|b == 20|b == 22|b == 24|b == 26|
     b == 28|b == 30|b == 32|b == 34|b == 36|b == 38|b == 40|b == 42|b == 44|b == 46|b == 48|b == 50|
     b == 52|b == 54|b == 56|b == 58|b == 60|b == 62|b == 64){
#cpTF<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,124]<-(dfe[,86]/(dfe[,86]+dfe[,87]+dfe[,88]))*(28.13+11.42)+(dfe[,87]/(dfe[,86]+dfe[,87]+dfe[,88]))*0+
(dfe[,88]/(dfe[,86]+dfe[,87]+dfe[,88]))*dfe[,114]/6
}
if (b == 2| b == 3 | b == 4){
dfe[,124]<-dfe[,101]
dfe[,120]<-dfe[,101]
dfe[,121]<-dfe[,101]
dfe[,122]<-dfe[,101]
dfe[,123]<-dfe[,101]
}
if (sap2==1){}
#sensitivity analysis of NHS subsidising home iontophoresis
if (sap2==4){
cpISR<- 3.37 #Cost of NHS subsidising home iontophoresis
dfe[,103]<-cpISR
#cpTF<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,124]<-dfe[,86]*(28.13+11.42)+dfe[,87]*3.37+dfe[,88]*dfe[,14]/6+dfe[,89]*(3.01+11.42)
#cpELCS<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,120]<-dfe[,86]*(28.13+11.42)+dfe[,87]*3.37+dfe[,88]*dfe[,14]/6+dfe[,89]*(3.01+11.42)
#cpEMCS<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,121]<-dfe[,86]*(28.13+11.42)+dfe[,87]*3.37+dfe[,88]*dfe[,14]/6+dfe[,89]*(3.01+11.42)
#cpEHCS<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,122]<-dfe[,86]*(28.13+11.42)+dfe[,87]*3.37+dfe[,88]*dfe[,14]/6+dfe[,89]*(3.01+11.42)
#cpERCS<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,123]<-dfe[,86]*(28.13+11.42)+dfe[,87]*3.37+dfe[,88]*dfe[,14]/6+dfe[,89]*(3.01+11.42)
if (b == 6|b == 8|b == 10|b == 12|b == 14|b == 16|b == 18|b == 20|b == 22|b == 24|b == 26|
     b == 28|b == 30|b == 32|b == 34|b == 36|b == 38|b == 40|b == 42|b == 44|b == 46|b == 48|b == 50|
     b == 52|b == 54|b == 56|b == 58|b == 60|b == 62|b == 64){
#cpTF<-tMED*(28.13+11.42)+tFON*3.37+tFBOT*BScost+tfANTI*(3.01+11.42)
dfe[,124]<-(dfe[,86]/(dfe[,86]+dfe[,87]+dfe[,88]))*(28.13+11.42)+(dfe[,87]/(dfe[,86]+dfe[,87]+dfe[,88]))*3.37+
(dfe[,88]/(dfe[,86]+dfe[,87]+dfe[,88]))*dfe[,114]/6
}
}
#initial population sequence (cols: 87 to 109)
if (b == 1){
dfe[,301]<-1
dfe[,302:325]<-0
} else if (b == 13| b == 14|b == 15|b == 16|b == 25|b == 26|b == 27|b == 28|b == 33|b == 34|b == 35|b == 36|b == 41|
          b == 42|b == 43|b == 44|b == 45|b == 46|b == 47|b == 48){
dfe[,302]<-1
dfe[,301]<-0
dfe[,303:325]<-0
} else if (b == 9| b == 10|b == 11|b == 12|b == 17|b == 18|b == 19|b == 20|b == 37|b == 38|b == 39|b == 40|b == 49|
          b == 50|b == 51|b == 52|b == 53|b == 54|b == 55|b == 56){
dfe[,304]<-1
dfe[,301:303]<-0
dfe[,305:325]<-0
} else if (b == 5| b == 6|b == 7|b == 8|b == 21|b == 22|b == 23|b == 24|b == 29|b == 30|b == 31|b == 32|b == 57|
          b == 58|b == 59|b == 60|b == 61|b == 62|b == 63|b == 64){
dfe[,308]<-1
dfe[,301:307]<-0
dfe[,309:325]<-0
} else if (b == 3| b == 4){
dfe[,315]<-0.5
dfe[,301]<-0.5
dfe[,302:314]<-0
dfe[,316:325]<-0
} else { #if (b == 2)
dfe[,318]<-0.5
dfe[,301]<-0.5
dfe[,302:317]<-0
dfe[,319:325]<-0
}
dfe[,4001:4025]<-dfe[,301:325]
dfl<-dfe
# write.csv(dfl, file = "dfl.csv")
##set utilities so that they don't exceed average population
av_pop_utility <- avpop_utility[1]
dfl[,251]<-av_pop_utility
base_utility <- (dfl[,58] + dfl[,60])/2
HDSS1response_utility <- (dfl[,56] + dfl[,58])/2
halfHDSSresponse_utility <- (base_utility + HDSS1response_utility)/2
HDSS2response_utility <- (dfl[,56]+dfl[,251])/2 #correct to ensure that utility isn't higher than population average for older persons
threeqtsHDSSresponse_utility <- (HDSS1response_utility + HDSS2response_utility)/2
HDSS3response_utility <- dfl[,251]
dfl[,201]<- halfHDSSresponse_utility*(1-dfl[,70])/YrCycles
dfl[,202]<-((HDSS2response_utility*dfl[,40]) + (HDSS3response_utility*dfl[,41]) + (base_utility*dfl[,38]) + (HDSS1response_utility*dfl[,39]))/YrCycles##Assumption of complete
utility gain in first month
dfl[,204]<-((HDSS2response_utility*dfl[,44]) + (HDSS3response_utility*dfl[,45]) + (base_utility*dfl[,42]) + (HDSS1response_utility*dfl[,43]))/YrCycles ##Assumption of complete
utility gain in first month
dfl[,205]<-((HDSS2response_utility*dfl[,44]) + (HDSS3response_utility*dfl[,45]) + (base_utility*dfl[,42]) + (HDSS1response_utility*dfl[,43]))/YrCycles ##Assumption of complete
utility gain in first month
dfl[,206]<-((HDSS2response_utility*dfl[,44]) + (HDSS3response_utility*dfl[,45]) + (base_utility*dfl[,42]) + (HDSS1response_utility*dfl[,43]))/YrCycles ##Assumption of complete
utility gain in first month
dfl[,208]<-((HDSS2response_utility*dfl[,48]) + (HDSS3response_utility*dfl[,49]) + (base_utility*dfl[,46]) + (HDSS1response_utility*dfl[,47]))/YrCycles ##Assumption of complete
utility gain in first month
dfl[,215]<-((HDSS2response_utility*dfl[,52]) + (HDSS3response_utility*dfl[,53]) + (base_utility*dfl[,50]) + (HDSS1response_utility*dfl[,51]))/YrCycles ##Assumption of complete
utility gain in first month
dfl[,218]<-((dfl[,251]*dfl[,251])+dfl[,26]*threeqtsHDSSresponse_utility)+dfl[,27]*HDSS1response_utility)+dfl[,28]*base_utility)+dfl[,29]*0.487)/YrCycles
dfl[,224]<-((dfl[,86]+dfl[,87]+dfl[,88])*HDSS1response_utility)+(dfl[,89]*base_utility))/YrCycles
if (b == 2| b == 4|b == 6|b == 8|b == 10|b == 12|b == 14|b == 16|b == 18|b == 20|b == 22|b == 24|b == 26|

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b = 28|b = 30|b = 32|b = 34|b = 36|b = 38|b = 40|b = 42|b = 44|b = 46|b = 48|b = 50|
b = 52|b = 54|b = 56|b = 58|b = 60|b = 62|b = 64){
df1[,224]<-HDSS1response_utility/YrCycles
}
df1[,225]<-0 ##zero utility when dead
df1[,203]<-((HDSS2response_utility*df1[,40]/(df1[,40]+df1[,41])) + (HDSS3response_utility*df1[,41]/(df1[,40]+df1[,41])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,207]<-((HDSS2response_utility*df1[,44]/(df1[,44]+df1[,45])) + (HDSS3response_utility*df1[,45]/(df1[,44]+df1[,45])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,209]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,210]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,211]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,212]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,213]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,214]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,216]<-((HDSS2response_utility*df1[,52]/(df1[,52]+df1[,53])) + (HDSS3response_utility*df1[,53]/(df1[,53]+df1[,52])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,219]<-df1[,251]/YrCycles ##Assumption of complete utility gain from second month
##Need to put in the CS utility scores
df1[,217]<-base_utility/YrCycles ##Assumption of no utility gain with CS following curettage
df1[,220]<-threeqrtsHDSSresponse_utility/YrCycles ##Assumption of 1.5 HDSS utility gain with low/mild CS following ETS
df1[,221]<-HDSS1response_utility/YrCycles ##Assumption of 1 HDSS utility gain with moderate CS following ETS
df1[,222]<-base_utility/YrCycles ##Assumption of no utility gain with high/severe CS following ETS
df1[,223]<-0.487/YrCycles ##Assumption of negative utility gain with intervention regret CS following ETS.
#16th percentile of beta sample distribution of HDSS 4 in Base-case
if (sap3==1){}
if (sap3==2){
df1[,223]<-0.571/YrCycles #25th percentile of beta sample distribution of HDSS 4 in Base-case
df1[,218]<-((df1[,25]*df1[,251])+(df1[,26]*threeqrtsHDSSresponse_utility)+(df1[,27]*HDSS1response_utility)+(df1[,28]*base_utility)+(df1[,29]*0.571))/YrCycles
}
if (sap3==3){
df1[,223]<-0.21/YrCycles #2.5th percentile of beta sample distribution of HDSS 4 in Base-case
df1[,218]<-((df1[,25]*df1[,251])+(df1[,26]*threeqrtsHDSSresponse_utility)+(df1[,27]*HDSS1response_utility)+(df1[,28]*base_utility)+(df1[,29]*0.21))/YrCycles
}
}
#sensitivity analysis for emergency medication use
if (sap3==4){
df1[,204]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45] + base_utility*df1[,42] + HDSS1response_utility*df1[,43])*(4/35))/YrCycles
df1[,205]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45] + base_utility*df1[,42] + HDSS1response_utility*df1[,43])*(4/35))/YrCycles
df1[,206]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45] + base_utility*df1[,42] + HDSS1response_utility*df1[,43])*(4/35))/YrCycles
df1[,207]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45])*(4/35))/YrCycles
}
##Define new initial population- first row of trace matrix
df1[,6001:6025]<-df1[,4001:4025]*df1[,201:225] #QALYs
df1[,8001:8025]<-df1[,4001:4025]*df1[,101:125] #Costs
#Sum the QALYs across the states for each cycle
df1[,10001]<-rowSums(df1[,6001:6025])
#Sum the costs across the states for each iteration
df1[,10101]<-rowSums(df1[,8001:8025])
#write.csv(df1, file = "df1.csv")
#i<-3
for (i in 2:12){
##set utilities so that they don't exceed average population
av_pop_utility <- avpop_utility[i]
df1[,251]<-av_pop_utility
base_utility <- (df1[,58] + df1[,60])/2
HDSS1response_utility <- (df1[,56] + df1[,58])/2
if (sap3==8){
HDSS1response_utility <- df1[,58]
}
halfHDSSresponse_utility <- (base_utility + HDSS1response_utility)/2
HDSS2response_utility <- (df1[,56]+df1[,251])/2 #correct to ensure that utility isn't higher than population average for older persons
threeqrtsHDSSresponse_utility <- (HDSS1response_utility + HDSS2response_utility)/2
HDSS3response_utility <- df1[,251]
df1[,201]<- base_utility*(1-df1[,70])/YrCycles
df1[,202]<-((HDSS2response_utility*df1[,40]) + (HDSS3response_utility*df1[,41]) + (base_utility*df1[,38]) + (HDSS1response_utility*df1[,39]))/YrCycles##Assumption of complete
utility gain in first month
df1[,204]<-((HDSS2response_utility*df1[,44]) + (HDSS3response_utility*df1[,45]) + (base_utility*df1[,42]) + (HDSS1response_utility*df1[,43]))/YrCycles ##Assumption of complete
utility gain in first month
df1[,205]<-((HDSS2response_utility*df1[,44]) + (HDSS3response_utility*df1[,45]) + (base_utility*df1[,42]) + (HDSS1response_utility*df1[,43]))/YrCycles ##Assumption of complete
utility gain in first month
df1[,206]<-((HDSS2response_utility*df1[,44]) + (HDSS3response_utility*df1[,45]) + (base_utility*df1[,42]) + (HDSS1response_utility*df1[,43]))/YrCycles ##Assumption of complete
utility gain in first month
df1[,208]<-((HDSS2response_utility*df1[,48]) + (HDSS3response_utility*df1[,49]) + (base_utility*df1[,46]) + (HDSS1response_utility*df1[,47]))/YrCycles ##Assumption of complete
utility gain in first month
df1[,215]<-((HDSS2response_utility*df1[,52]) + (HDSS3response_utility*df1[,53]) + (base_utility*df1[,50]) + (HDSS1response_utility*df1[,51]))/YrCycles ##Assumption of complete
utility gain in first month
df1[,218]<-((df1[,25]*df1[,251])+(df1[,26]*threeqrtsHDSSresponse_utility)+(df1[,27]*HDSS1response_utility)+(df1[,28]*base_utility)+(df1[,29]*0.487))/YrCycles
df1[,224]<-((df1[,86]+df1[,87]+df1[,88])*HDSS1response_utility)+(df1[,89])*base_utility)/YrCycles
df1[,225]<-0 ##zero utility when dead
df1[,203]<-((HDSS2response_utility*df1[,40]/(df1[,40]+df1[,41])) + (HDSS3response_utility*df1[,41]/(df1[,40]+df1[,41])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,207]<-((HDSS2response_utility*df1[,44]/(df1[,44]+df1[,45])) + (HDSS3response_utility*df1[,45]/(df1[,44]+df1[,45])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,209]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,210]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,211]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,212]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,213]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,214]<-((HDSS2response_utility*df1[,48]/(df1[,48]+df1[,49])) + (HDSS3response_utility*df1[,49]/(df1[,49]+df1[,48])))/YrCycles ##Assumption of complete utility gain from
second month

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df1[,216]<-((HDSS2response_utility*df1[,52]/(df1[,52]+df1[,53])) + (HDSS3response_utility*df1[,53]/(df1[,53]+df1[,52])))/YrCycles ##Assumption of complete utility gain from
second month
df1[,219]<-df1[,251]/YrCycles ##Assumption of complete utility gain from second month
##Need to put in the CS utility scores
df1[,217]<-base_utility/YrCycles ##Assumption of no utility gain with CS following curettage
df1[,220]<-threeqtsHDSSresponse_utility/YrCycles ##Assumption of 1.5 HDSS utility gain with low/mild CS following ETS
df1[,221]<-HDSS1response_utility/YrCycles ##Assumption of 1 HDSS utility gain with moderate CS following ETS
df1[,222]<-base_utility/YrCycles ##Assumption of no utility gain with high/severe CS following ETS
df1[,223]<-0.487/YrCycles ##Assumption of negative utility gain with intervention regret CS following ETS.
#16th percentile of beta sample distribution of HDSS 4 in Base-case
if (sap3==1){}
if (sap3==2){
  df1[,223]<-0.571/YrCycles #25th percentile of beta sample distribution of HDSS 4 in Base-case
  df1[,218]<-((df1[,25]*df1[,251])+(df1[,26]*threeqtsHDSSresponse_utility)+(df1[,27]*HDSS1response_utility)+(df1[,28]*base_utility)+(df1[,29]*0.571))/YrCycles
}
if (sap3==3){
  df1[,223]<-0.21/YrCycles #2.5th percentile of beta sample distribution of HDSS 4 in Base-case
  df1[,218]<-((df1[,25]*df1[,251])+(df1[,26]*threeqtsHDSSresponse_utility)+(df1[,27]*HDSS1response_utility)+(df1[,28]*base_utility)+(df1[,29]*0.21))/YrCycles
}
#sensitivity analysis for emergency medication use
if (sap3==4){
  df1[,204]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45] + base_utility*df1[,42] + HDSS1response_utility*df1[,43])*(4/35)/YrCycles
  df1[,205]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45] + base_utility*df1[,42] + HDSS1response_utility*df1[,43])*(4/35)/YrCycles
  df1[,206]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45] + base_utility*df1[,42] + HDSS1response_utility*df1[,43])*(4/35)/YrCycles
  df1[,207]<-((HDSS2response_utility*df1[,44] + HDSS3response_utility*df1[,45])*(4/35)/YrCycles
}
MORT <- rtrisk[i]
df1[,401]<-MORT
df1[(1000+24*25+1):(1000+24*25+24)]<-df1[,401]
#ALIVE <- 1-MORT
df1[,402] <- 1-df1[,401]
##Transition probabilities grouped by original state, excluding transition to the next treatment and mortality
#mModel["A","A"] <- ALIVE
df1[,1001]<-df1[,402]
#IS_CONTINUE <- 1- IS_R*ALIVE*IS_NSE
df1[,403] <- df1[,3]*df1[,402]*df1[,6]
#IS_DROP <- 1-MORT-IS_CONTINUE ## drop out rate due to non-response and side effects
df1[,404] <- 1-df1[,401]-df1[,403] ## drop out rate due to non-response and side effects
#mModel["IS","ISR"] <- IS_CONTINUE
df1[(1000+2*25+2)]<-df1[,403]
#mModel["IS","IS"] <- 0
df1[(1000+1*25+2)]<-0
#mModel["ISR","ISR"] <- ALIVE
df1[(1000+2*25+3)]<-df1[,402]
#ISC_DROP <- (1-IS_R)*noben*ALIVE
df1[,426] <- (1-df1[,3])*df1[,90]*df1[,402] ##Probability of progression following
if (sap3==7){
  #ISC_DROP <- (1-IS_R)*maxben*ALIVE
  df1[,426] <- (1-df1[,3])*df1[,91]*df1[,402] ##Probability of progression following
}
#ISTF_DROP <- 1-MORT-IS_CONTINUE-ISC_DROP #Progress to TF instead of minor surgery if medication partially successful
df1[,425] <- 1-df1[,401]-df1[,403]-df1[,426]
#M_CONTINUE <- M_R*ALIVE*M_NSE
df1[,405] <- df1[,9]*df1[,402]*df1[,12]
#M_DROP <- 1-MORT-M_CONTINUE ## drop out rate due to non-response and side effects
df1[,406] <- 1-df1[,401]-df1[,405] ## drop out rate due to non-response and side effects
#MC_DROP <- (1-M_R)*noben*ALIVE
df1[,424] <- (1-df1[,9])*df1[,90]*df1[,402] ##Probability of progression following
if (sap3==7){
  #MC_DROP <- (1-M_R)*maxben*ALIVE
  df1[,424] <- (1-df1[,9])*df1[,91]*df1[,402] ##Probability of progression following
}
#MTF_DROP <- 1-MORT-M_CONTINUE-MC_DROP #Progress to TF instead of minor surgery if medication partially successful
df1[,423] <- 1-df1[,401]-df1[,405]-df1[,424]
#mModel["M3","MR"] <- M_CONTINUE
df1[(1000+6*25+6)]<-df1[,405]
if (sap3==5){
  #mModel["M3","MR"] <- 0
  df1[(1000+6*25+6)]<-0
}
#mModel["M1","M2"] <- ALIVE
df1[(1000+4*25+4)]<-df1[,402]
if (sap3==5){
  df1[(1000+4*25+4)]<-0
}
#mModel["M2","M3"] <- ALIVE
df1[(1000+5*25+5)]<-df1[,402]
if (sap3==5){
  df1[(1000+5*25+5)]<-0
}
#mModel["M1","M1"] <- 0
df1[(1000+3*25+4)]<-0
#mModel["M2","M2"] <- 0
df1[(1000+4*25+5)]<-0
#mModel["M3","M3"] <- 0
df1[(1000+5*25+6)]<-0
#MR_CONTINUE <- M_SR*ALIVE
df1[,407] <- df1[,13]*df1[,402]
#mModel["MR","MR"] <- MR_CONTINUE ##Can vary this in SA to allow for declining effectiveness over time
df1[(1000+6*25+7)]<-df1[,407]
#MR_DROP <- 1- MORT - MR_CONTINUE
df1[,432] <- 1 - df1[,401] - df1[,407]
#M_SR_DROP <- 1-MORT-MR_CONTINUE
df1[,429] <- 1-df1[,401]-df1[,407]
#MC_SR_DROP <- noben*ALIVE
df1[,430] <- df1[,90]*(1-df1[,13])*df1[,402] ##Probability of progression following
if (sap3==7){
  #MC_SR_DROP <- maxben*ALIVE
  df1[,430] <- df1[,91]*(1-df1[,13])*df1[,402] ##Probability of progression following
}
#MTF_SR_DROP <- 1-MORT-MR_CONTINUE-MC_SR_DROP #Progress to TF instead of minor surgery if medication partially successful

```

```

df1[,431] <- 1-df1[,401]-df1[,407]-df1[,430]
#B_CONTINUE <- B_R*ALIVE*B_NSE
df1[,409] <- df1[,16]*df1[,402]*df1[,19]
#B_DROP <- 1-MORT-B_CONTINUE ## drop out rate due to non-response and side effects. Assumption that botox
df1[,410] <- 1-df1[,401]-df1[,409] ## drop out rate due to non-response and side effects. Assumption that botox
#BC_DROP <- (1-B_R)*noben*ALIVE
df1[,428] <- (1-df1[,16])*df1[,90]*df1[,402] ##Probability of progression following
if (sap3==7){
  #BC_DROP <- (1-B_R)*maxben*ALIVE
  df1[,428] <- (1-df1[,16])*df1[,91]*df1[,402] ##Probability of progression following
}
#BTF_DROP <- 1-MORT-B_CONTINUE-BC_DROP #Progress to TF instead of minor surgery if medication partially successful
df1[,427] <- 1-df1[,401]-df1[,409]-df1[,428]
##drop out due to side effects and lack of effectiveness occurs at the end of the first month and immediately
##move on to next treatment after 1st month
#mModel["B1","B2"] <- B_CONTINUE
df1[(1000+8*25+8)]<-df1[,409]
#mModel["B1","B1"] <- 0
df1[(1000+7*25+8)]<-0
#mModel["B2","B3"] <- ALIVE
df1[(1000+9*25+9)]<-df1[,402]
#mModel["B3","B4"] <- ALIVE
df1[(1000+10*25+10)]<-df1[,402]
#mModel["B4","B5"] <- ALIVE
df1[(1000+11*25+11)]<-df1[,402]
#mModel["B5","B6"] <- ALIVE
df1[(1000+12*25+12)]<-df1[,402]
#mModel["B6","B5"] <- ALIVE
df1[(1000+13*25+13)]<-df1[,402]
#mModel["B5","B2"] <- ALIVE
df1[(1000+8*25+14)]<-df1[,402]
#CCS_TRANS <- CCS*ALIVE
df1[,411] <- df1[,24]*df1[,402]
#mModel["C","CCS"]<-CCS_TRANS
df1[(1000+16*25+15)]<-df1[,411]
#mModel["C","C"] <- 0
df1[(1000+14*25+15)]<-0
#no_CCS <- 1-CCS
df1[,412]<-1-df1[,24]
#C_SUCCESS <- C_R*ALIVE*no_CCS
df1[,413] <- df1[,22]*df1[,402]*df1[,412]
#mModel["C","CR"]<-C_SUCCESS
df1[(1000+15*25+15)]<-df1[,413]
#C_DROP <- 1-MORT-CCS_TRANS-C_SUCCESS
df1[,414] <- 1-df1[,401]-df1[,411]-df1[,413]
#CC_DROP <- Rc0*ALIVE
df1[,434] <- df1[,50]*df1[,402]
#CC_tf <- 1-MORT-CCS_TRANS-C_SUCCESS-CC_DROP
df1[,435] <- 1-df1[,401]-df1[,411]-df1[,413]-df1[,434]
#mModel["CR","CR"] <- ALIVE
df1[(1000+15*25+16)]<-df1[,402]
#mModel["CCS","CCS"] <- ALIVE
df1[(1000+16*25+17)]<-df1[,402]
#ELCS_TRANS <- ELCS*ALIVE
df1[,415] <- df1[,26]*df1[,402]
#mModel["E","ELCS"]<-ELCS_TRANS
df1[(1000+19*25+18)]<-df1[,415]
#EMCS_TRANS <- EMCS*ALIVE
df1[,416] <- df1[,27]*df1[,402]
#mModel["E","EMCS"]<-EMCS_TRANS
df1[(1000+20*25+18)]<-df1[,416]
#EHCS_TRANS <- EHCS*ALIVE
df1[,417] <- df1[,28]*df1[,402]
#mModel["E","EHCS"]<-EHCS_TRANS
df1[(1000+21*25+18)]<-df1[,417]
#ERCS_TRANS <- ERCS*ALIVE
df1[,418] <- df1[,29]*df1[,402]
#mModel["E","ERCS"]<-ERCS_TRANS
df1[(1000+22*25+18)]<-df1[,418]
#no_ECS <- 1-ELCS-EMCS-EHCS-ERCS
df1[,419] <- 1-df1[,26]-df1[,27]-df1[,28]-df1[,29]
#E_SUCCESS <- E_R*ALIVE*no_ECS
df1[,420] <- 1-df1[,415]-df1[,416]-df1[,417]-df1[,418]
#mModel["E","ER"]<-E_SUCCESS
df1[(1000+18*25+18)]<-df1[,420]
#mModel["E","E"] <- 0
df1[(1000+17*25+18)]<-0
#E_NR <- 1-MORT-ELCS_TRANS-EMCS_TRANS-EHCS_TRANS-ERCS_TRANS-E_SUCCESS
df1[,421] <- 1-df1[,401]-df1[,415]-df1[,416]-df1[,417]-df1[,418]-df1[,420]
#mModel["ER","ER"] <- ALIVE
df1[(1000+18*25+19)]<-df1[,402]
#mModel["ELCS","ELCS"] <- ALIVE
df1[(1000+19*25+20)]<-df1[,402]
#mModel["EMCS","EMCS"] <- ALIVE
df1[(1000+20*25+21)]<-df1[,402]
#mModel["EHCS","EHCS"] <- ALIVE
df1[(1000+21*25+22)]<-df1[,402]
#mModel["ERCS","ERCS"] <- ALIVE
df1[(1000+22*25+23)]<-df1[,402]
#mModel["TF","TF"] <- ALIVE
df1[(1000+23*25+24)]<-df1[,402]
#mModel["D","D"] <- 1
df1[(1000+24*25+25)]<-1
#####
#Set transition matrix for each sequence
#####
if (b == 33 | b == 34 | b == 35 | b == 36 | b == 41 | b == 42 | b == 43 | b == 44 | b == 57 | b == 58 | b == 59 | b == 60){
  #mModel["IS","M1"]<-IS_DROP
  df1[(1000+3*25+2)]<-df1[,404]
}
if (b == 25 | b == 26 | b == 27 | b == 28 | b == 45 | b == 46 | b == 47 | b == 48 | b == 49 | b == 50 | b == 51 | b == 52){

```

```

#mModel["IS","B1"]<-IS_DROP
df1[(1000+7*25+2)]<-df1[,404]
}
if (b == 15| b == 16| b == 31| b == 32| b == 39| b == 40| b == 55| b == 56| b == 63| b == 64){
#mModel["IS","C"]<-ISC_DROP
df1[(1000+14*25+2)]<-df1[,426]
#mModel["IS","TF"]<-ISTF_DROP
df1[(1000+23*25+2)]<-df1[,425]
}
if (sap3==6){
if (b == 15| b == 16| b == 31| b == 32| b == 39| b == 40| b == 55| b == 56| b == 63| b == 64){
#mModel["IS","C"]<-IS_DROP
df1[(1000+14*25+2)]<-df1[,404]
}
}
if (b == 14| b == 30| b == 38| b == 54| b == 62){
#mModel["IS","E"]<-ISC_DROP
df1[(1000+17*25+2)]<-df1[,426]
#mModel["IS","TF"]<-ISTF_DROP
df1[(1000+23*25+2)]<-df1[,425]
}
if (sap3==6){
if (b == 14| b == 30| b == 38| b == 54| b == 62){
#mModel["IS","E"]<-IS_DROP
df1[(1000+17*25+2)]<-df1[,404]
}
}
if (b == 13| b == 29| b == 37| b == 53| b == 61){
#mModel["IS","TF"]<-IS_DROP
df1[(1000+23*25+2)]<-df1[,404]
}
#####
if (b == 37| b == 38| b == 39| b == 40| b == 49| b == 50| b == 51| b == 52| b == 61| b == 62| b == 63| b == 64){
#mModel["M3","IS"]<-M_DROP
df1[(1000+1*25+6)]<-df1[,406]
#mModel["MR","IS"]<-M_RSR
df1[(1000+1*25+7)]<-df1[,432]
}
if (b == 17| b == 18| b == 19| b == 20| b == 41| b == 42| b == 43| b == 44| b == 53| b == 54| b == 55| b == 56){
#mModel["M3","B1"]<-M_DROP
df1[(1000+7*25+6)]<-df1[,406]
#mModel["MR","B1"]<-MR-CONTINUE
df1[(1000+7*25+7)]<-df1[,432]
}
if (b == 11| b == 12| b == 23| b == 24| b == 35| b == 36| b == 47| b == 48| b == 59| b == 60){
#mModel["M3","C"]<-MC_DROP
df1[(1000+14*25+6)]<-df1[,424]
#mModel["M3","TF"]<-MTF_DROP
df1[(1000+23*25+6)]<-df1[,423]
#mModel["MR","C"]<-MC_SR_DROP
df1[(1000+14*25+7)]<-df1[,431]
#mModel["MR","TF"]<-MTF_SR_DROP
df1[(1000+23*25+7)]<-df1[,430]
}
if (sap3==6){
if (b == 11| b == 12| b == 23| b == 24| b == 35| b == 36| b == 47| b == 48| b == 59| b == 60){
#mModel["M3","C"]<-M_DROP
df1[(1000+14*25+6)]<-df1[,406]
#mModel["MR","C"]<-M_SR_DROP
df1[(1000+14*25+7)]<-df1[,429]
}
}
if (b == 10| b == 22| b == 34| b == 46| b == 58){
#mModel["M3","E"]<-MC_DROP
df1[(1000+17*25+6)]<-df1[,424]
#mModel["M3","TF"]<-MTF_DROP
df1[(1000+23*25+6)]<-df1[,423]
#mModel["MR","E"]<-MC_SR_DROP
df1[(1000+17*25+7)]<-df1[,431]
#mModel["MR","TF"]<-MTF_SR_DROP
df1[(1000+23*25+7)]<-df1[,430]
}
if (sap3==6){
if (b == 10| b == 22| b == 34| b == 46| b == 58){
#mModel["M3","E"]<-M_DROP
df1[(1000+17*25+6)]<-df1[,406]
#mModel["MR","E"]<-M_SR_DROP
df1[(1000+17*25+7)]<-df1[,429]
}
}
if (b == 9| b == 21| b == 33| b == 45| b == 57){
#mModel["M3","TF"]<-M_DROP
df1[(1000+23*25+6)]<-df1[,406]
#mModel["MR","TF"]<-M_SR_DROP
df1[(1000+23*25+7)]<-df1[,429]
}
#####
if (b == 29| b == 30| b == 31| b == 32| b == 53| b == 54| b == 55| b == 56| b == 57| b == 58| b == 59| b == 60){
#mModel["B1","IS"]<-B_DROP
df1[(1000+1*25+8)]<-df1[,410]
}
if (b == 21| b == 22| b == 23| b == 24| b == 45| b == 46| b == 47| b == 48| b == 61| b == 62| b == 63| b == 64){
#mModel["B1","M1"]<-B_DROP
df1[(1000+3*25+8)]<-df1[,410]
}
if (b == 7| b == 8| b == 19| b == 20| b == 27| b == 28| b == 43| b == 44| b == 51| b == 52){
#mModel["B1","C"]<-BC_DROP
df1[(1000+14*25+8)]<-df1[,428]
#mModel["B1","TF"]<-BTF_DROP
df1[(1000+23*25+8)]<-df1[,427]
}

```

```

}
if (sap3==6){
if (b == 7| b == 8| b == 19| b == 20| b == 27| b == 28| b == 43| b == 44| b == 51| b == 52){
#mModel["B1","C"]<-B_DROP
df1[(1000+14*25+8)]<-df1[,410]
}
}
if (b == 6| b == 18| b == 26| b == 42| b == 50){
#mModel["B1","E"]<-BC_DROP
df1[(1000+17*25+8)]<-df1[,428]
#mModel["B1","TF"]<-BTF_DROP
df1[(1000+23*25+8)]<-df1[,427]
}
}
if (sap3==6){
if (b == 6| b == 18| b == 26| b == 42| b == 50){
#mModel["B1","E"]<-B_DROP
df1[(1000+17*25+8)]<-df1[,410]
}
}
}
if (b == 5| b == 17| b == 25| b == 41| b == 49){
#mModel["B1","TF"]<-B_DROP
df1[(1000+23*25+8)]<-df1[,410]
}
}
#####
if (b == 4| b == 8| b == 12| b == 16| b == 20| b == 24| b == 28| b == 32| b == 36| b == 40| b == 44| b == 48| b == 52|
b == 56| b == 60| b == 64){
#mModel["C","E"]<-CC_DROP
df1[(1000+17*25+15)]<-df1[,434]
#mModel["C","TF"]<-CC_tf
df1[(1000+23*25+15)]<-df1[,435]
}
}
if (sap3==6){
if (b == 4| b == 8| b == 12| b == 16| b == 20| b == 24| b == 28| b == 32| b == 36| b == 40| b == 44| b == 48| b == 52|
b == 56| b == 60| b == 64){
#mModel["C","E"]<-C_DROP
df1[(1000+17*25+15)]<-df1[,414]
}
}
}
if (b == 3| b == 7| b == 11| b == 15| b == 19| b == 23| b == 27| b == 31| b == 35| b == 39| b == 43| b == 47| b == 51|
b == 55| b == 59| b == 63){
#mModel["C","TF"]<-C_DROP
df1[(1000+23*25+15)]<-df1[,414]
}
}
#####
if (b == 2| b == 4| b == 6| b == 8| b == 10| b == 12| b == 14| b == 16| b == 18| b == 20| b == 22| b == 24| b == 26|
b == 28| b == 30| b == 32| b == 34| b == 36| b == 38| b == 40| b == 42| b == 44| b == 46| b == 48| b == 50|
b == 52| b == 54| b == 56| b == 58| b == 60| b == 62| b == 64){
#mModel["E","TF"]<-0
df1[(1000+23*25+18)]<-0
}
}
#####
##initial population cols: 87 to 109
for (j in 1:25){
##define holding intermediate states: 1001:763 transition matrix; 789:1413 for intermediate states
df1[(3001+(j-1)*25):(3025+(j-1)*25)]<-df1[,301:325]*df1[(1001+(j-1)*25):(1001+24+(j-1)*25)]#A
}
for (j in 1:25){

##cols 89 to 113 becomes the holding vector for the initial population
df1[(301+(j-1))<-rowSums(df1[, (3001+(j-1)*25):(3025+(j-1)*25)])
}
##derive the population distributions from the second cycle onwards
df1[(4001+(i-1)*25):(4025+(i-1)*25)]<-df1[,301:325]
##derive the QALYs from the second cycle onwards
df1[(6001+(i-1)*25):(6025+(i-1)*25)]<-df1[(4001+(i-1)*25):(4025+(i-1)*25)]*df1[,201:225]/(1+0.002871)^(i-0.5);
##derive the Costs from the second cycle onwards
df1[(8001+(i-1)*25):(8025+(i-1)*25)]<-df1[(4001+(i-1)*25):(4025+(i-1)*25)]*df1[,101:125]/(1+0.002871)^(i-0.5);
#Sum the QALYs across the states for each cycle
df1[(10001+(i-1))<-rowSums(df1[(6001+(i-1)*25):(6025+(i-1)*25)])
#Sum the costs across the states for each iteration
df1[(110101+(i-1))<-rowSums(df1[(8001+(i-1)*25):(8025+(i-1)*25)])
} #END OF i in 2:12 loop
#write.csv(df1, file = "df1.csv")
#adjust the costs to be annual costs
df1[,101:113]<-df1[,101:113]*12
df1[,115:125]<-df1[,115:125]*12
df1[,109:114]<-df1[,114]*2
#cpTF<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)*(1-ANTI drop out)
df1[,124]<-df1[,86]*(28.13+11.42)*12+df1[,87]*0*12+df1[,88]*df1[,114]*2+df1[,89]*(3.01+11.42)*12*(1-df1[,70])
#cpELCS<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[,120]<-df1[,86]*(28.13+11.42)*12+df1[,87]*0*12+df1[,88]*df1[,114]*2+df1[,89]*(3.01+11.42)*12
#cpEMCS<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[,121]<-df1[,86]*(28.13+11.42)*12+df1[,87]*0*12+df1[,88]*df1[,114]*2+df1[,89]*(3.01+11.42)*12
#cpEHCS<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[,122]<-df1[,86]*(28.13+11.42)*12+df1[,87]*0*12+df1[,88]*df1[,114]*2+df1[,89]*(3.01+11.42)*12
#cpERCS<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[,123]<-df1[,86]*(28.13+11.42)*12+df1[,87]*0*12+df1[,88]*df1[,114]*2+df1[,89]*(3.01+11.42)*12
if (b == 6| b == 8| b == 10| b == 12| b == 14| b == 16| b == 18| b == 20| b == 22| b == 24| b == 26|
b == 28| b == 30| b == 32| b == 34| b == 36| b == 38| b == 40| b == 42| b == 44| b == 46| b == 48| b == 50|
b == 52| b == 54| b == 56| b == 58| b == 60| b == 62| b == 64){
#cpTF<-tfMED*(28.13+11.42)+tfION*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[,124]<-df1[,86]*(df1[,86]+df1[,87]+df1[,88])*(28.13+11.42)*12+df1[,87]/(df1[,86]+df1[,87]+df1[,88])*(df1[,86]+df1[,87]+df1[,88])*(df1[,114]*2
}
}
if (b == 2| b == 4){
dfe[,124]<-0
}
}
#sensitivity analysis of NHS subsidising home iontophoresis
if (sap2==4){
cplSR<- 3.37 #Cost of NHS subsidising home iontophoresis
dfe[,103]<-cplSR
}

```

```

#cpTF<-tMED*(28.13+11.42)+tFON*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)*(1-ANTI drop out)
df1[124]<-df1[.86]*(28.13+11.42)*12+df1[.87]*3.37*12+df1[.88]*df1[.114]*2+df1[.89]*(3.01+11.42)*12*(1-df1[.70])
#cpELCS<-tMED*(28.13+11.42)+tFON*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[120]<-df1[.86]*(28.13+11.42)*12+df1[.87]*3.37*12+df1[.88]*df1[.114]*2+df1[.89]*(3.01+11.42)*12
#cpEMCS<-tMED*(28.13+11.42)+tFON*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[121]<-df1[.86]*(28.13+11.42)*12+df1[.87]*3.37*12+df1[.88]*df1[.114]*2+df1[.89]*(3.01+11.42)*12
#cpHCS<-tMED*(28.13+11.42)+tFON*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[122]<-df1[.86]*(28.13+11.42)*12+df1[.87]*3.37*12+df1[.88]*df1[.114]*2+df1[.89]*(3.01+11.42)*12
#cpERCS<-tMED*(28.13+11.42)+tFON*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[123]<-df1[.86]*(28.13+11.42)*12+df1[.87]*3.37*12+df1[.88]*df1[.114]*2+df1[.89]*(3.01+11.42)*12
if (b == 6|b == 8|b == 10|b == 12|b == 14|b == 16|b == 18|b == 20|b == 22|b == 24|b == 26)
  b = 28|b == 30|b == 32|b == 34|b == 36|b == 38|b == 40|b == 42|b == 44|b == 46|b == 48|b == 50
  b = 52|b == 54|b == 56|b == 58|b == 60|b == 62|b == 64){
#cpTF<-tMED*(28.13+11.42)+tFON*3.37+tfBOT*BScost+tfANTI*(3.01+11.42)
df1[124]<-((df1[.86]/(df1[.86]+df1[.87]+df1[.88]))*(28.13+11.42)+df1[.87]/(df1[.86]+df1[.87]+df1[.88]))*3.37*12+
(df1[.88]/(df1[.86]+df1[.87]+df1[.88]))*df1[.114]*2
}
}
if (sap1==5){
  M_SR <- 0.970409082 #moderate decline in effectiveness over time
}
}
if (sap1==6){
  M_SR <- 0.886384872 #considerable decline in effectiveness over time
}
}
df1[.13]<-M_SR
for (i in 13:58){
  ##set utilities so that they don't exceed average population
  av_pop_utility <- avpop_utility[i]
  df1[251]<-av_pop_utility
  base_utility <- (df1[.58] + df1[.60])/2
  HDSS1response_utility <- (df1[.56] + df1[.58])/2
  if (sap3==8){
    HDSS1response_utility <- df1[.58]
  }
  halfHDSSresponse_utility <- (base_utility + HDSS1response_utility)/2
  HDSS2response_utility <- (df1[.56]+df1[251])/2 #correct to ensure that utility isn't higher than population average for older persons
  df1[252]<-HDSS2response_utility
  df1[252]<-ifelse(df1[252]>df1[251],df1[251],df1[252])
  threeqrtsHDSSresponse_utility <- (HDSS1response_utility + df1[252])/2
  HDSS3response_utility <- df1[251]
  df1[201]<- halfHDSSresponse_utility*(1-df1[70])
  df1[202]<-((df1[252]*df1[.40]) + (HDSS3response_utility*df1[.41]) + (base_utility*df1[.38]) + (HDSS1response_utility*df1[.39]))##Assumption of complete utility gain in first month
  df1[204]<-((df1[252]*df1[.44]) + (HDSS3response_utility*df1[.45]) + (base_utility*df1[.42]) + (HDSS1response_utility*df1[.43]))##Assumption of complete utility gain in first
month
  df1[205]<-((df1[252]*df1[.44]) + (HDSS3response_utility*df1[.45]) + (base_utility*df1[.42]) + (HDSS1response_utility*df1[.43]))##Assumption of complete utility gain in first
month
  df1[206]<-((df1[252]*df1[.44]) + (HDSS3response_utility*df1[.45]) + (base_utility*df1[.42]) + (HDSS1response_utility*df1[.43]))##Assumption of complete utility gain in first
month
  df1[208]<-((df1[252]*df1[.48]) + (HDSS3response_utility*df1[.49]) + (base_utility*df1[.46]) + (HDSS1response_utility*df1[.47]))##Assumption of complete utility gain in first
month
  df1[215]<-((df1[252]*df1[.52]) + (HDSS3response_utility*df1[.53]) + (base_utility*df1[.50]) + (HDSS1response_utility*df1[.51]))##Assumption of complete utility gain in first
month
  df1[218]<-((df1[25]*df1[.251])+(df1[.26]*threeqrtsHDSSresponse_utility)+(df1[.27]*HDSS1response_utility)+(df1[.28]*base_utility)+(df1[.29]*0.487))
  df1[224]<-((df1[.86]+df1[.87]+df1[.88])*HDSS1response_utility)+(df1[.89]*base_utility)
  if (b == 2|b == 4|b == 6|b == 8|b == 10|b == 12|b == 14|b == 16|b == 18|b == 20|b == 22|b == 24|b == 26)
    b = 28|b == 30|b == 32|b == 34|b == 36|b == 38|b == 40|b == 42|b == 44|b == 46|b == 48|b == 50
    b = 52|b == 54|b == 56|b == 58|b == 60|b == 62|b == 64){
  df1[224]<-HDSS1response_utility
  }
  df1[225]<-0 ##zero utility when dead
  df1[203]<-((df1[252]*df1[.40]/(df1[.40]+df1[.41])) + (HDSS3response_utility*df1[.41]/(df1[.40]+df1[.41])) ##Assumption of complete utility gain from second month
  df1[207]<-((df1[252]*df1[.44]/(df1[.44]+df1[.45])) + (HDSS3response_utility*df1[.45]/(df1[.44]+df1[.45])) ##Assumption of complete utility gain from second month
  df1[209]<-((df1[252]*df1[.48]/(df1[.48]+df1[.49])) + (HDSS3response_utility*df1[.49]/(df1[.49]+df1[.48])) ##Assumption of complete utility gain from second month
  df1[210]<-((df1[252]*df1[.48]/(df1[.48]+df1[.49])) + (HDSS3response_utility*df1[.49]/(df1[.49]+df1[.48])) ##Assumption of complete utility gain from second month
  df1[211]<-((df1[252]*df1[.48]/(df1[.48]+df1[.49])) + (HDSS3response_utility*df1[.49]/(df1[.49]+df1[.48])) ##Assumption of complete utility gain from second month
  df1[212]<-((df1[252]*df1[.48]/(df1[.48]+df1[.49])) + (HDSS3response_utility*df1[.49]/(df1[.49]+df1[.48])) ##Assumption of complete utility gain from second month
  df1[213]<-((df1[252]*df1[.48]/(df1[.48]+df1[.49])) + (HDSS3response_utility*df1[.49]/(df1[.49]+df1[.48])) ##Assumption of complete utility gain from second month
  df1[214]<-((df1[252]*df1[.48]/(df1[.48]+df1[.49])) + (HDSS3response_utility*df1[.49]/(df1[.49]+df1[.48])) ##Assumption of complete utility gain from second month
  df1[216]<-((df1[252]*df1[.52]/(df1[.52]+df1[.53])) + (HDSS3response_utility*df1[.53]/(df1[.52]+df1[.53])) ##Assumption of complete utility gain from second month
  df1[219]<-df1[251] ##Assumption of complete utility gain from second month
  ##Need to put in the CS utility scores
  df1[217]<-base_utility ##Assumption of no utility gain with CS following curettage
  df1[220]<-threeqrtsHDSSresponse_utility ##Assumption of 1.5 HDSS utility gain with low/mild CS following ETS
  df1[221]<-HDSS1response_utility ##Assumption of 1 HDSS utility gain with moderate CS following ETS
  df1[222]<-base_utility ##Assumption of no utility gain with high/severe CS following ETS
  df1[223]<-0.487 ##Assumption of negative utility gain with intervention regrest CS following ETS.
  #16th percentile of beta sample distribution of HDSS 4 in Base-case
  if (sap3==1){}
  if (sap3==2){
    df1[223]<-0.571 #25th percentile of beta sample distribution of HDSS 4 in Base-case
    df1[218]<-((df1[.25]*df1[251])+(df1[.26]*threeqrtsHDSSresponse_utility)+(df1[.27]*HDSS1response_utility)+(df1[.28]*base_utility)+(df1[.29]*0.571))
  }
  if (sap3==3){
    df1[223]<-0.21 #2.5th percentile of beta sample distribution of HDSS 4 in Base-case
    df1[218]<-((df1[.25]*df1[251])+(df1[.26]*threeqrtsHDSSresponse_utility)+(df1[.27]*HDSS1response_utility)+(df1[.28]*base_utility)+(df1[.29]*0.21))
  }
}
#sensitivity analysis for emergency medication use
if (sap3==4){
  df1[204]<-((df1[252]*df1[.44] + HDSS3response_utility*df1[.45] + base_utility*df1[.42] + HDSS1response_utility*df1[.43]))*(4/35)
  df1[207]<-((df1[252]*df1[.44] + HDSS3response_utility*df1[.45]))*(4/35)
}
}
# df1[.114:138]<-df1[201:225]
# df1[.639:(1000+24*25+25)]<-rtrisk[i]
MORT <- rtrisk[i]
df1[.401]<-MORT
df1[(1000+24*25+1):(1000+24*25+24)]<-df1[.401]
#ALIVE <- 1-MORT
df1[.402] <- 1-df1[.401]
##Transition probabilities grouped by original state, excluding transition to the next treatment and mortality
#mModel["A","A"] <- ALIVE
df1[.1001]<-df1[.402]

```

```

#IS_CONTINUE <- IS_R*ALIVE*IS_NSE
df1[,403] <- df1[,3]*df1[,402]*df1[,6]
#IS_DROP <- 1-MORT-IS_CONTINUE ## drop out rate due to non-response and side effects
df1[,404] <- 1-df1[,401]-df1[,403] ## drop out rate due to non-response and side effects
#mModel["IS","ISR"] <- IS_CONTINUE
df1[(1000+2*25+2)]<-df1[,403]
#mModel["IS","IS"] <- 0
df1[(1000+1*25+2)]<-0
#mModel["ISR","ISR"] <- ALIVE
df1[(1000+2*25+3)]<-df1[,402]
#ISC_DROP <- (1-IS_R)*noben*ALIVE
df1[,426] <- (1-df1[,3])*df1[,90]*df1[,402] ##Probability of progression following
if (sap3==7){
  #ISC_DROP <- (1-IS_R)*maxben*ALIVE
  df1[,426] <- (1-df1[,3])*df1[,91]*df1[,402] ##Probability of progression following
}
#ISTF_DROP <- 1-MORT-IS_CONTINUE-ISC_DROP #Progress to TF instead of minor surgery if medication partially successful
df1[,425] <- 1-df1[,401]-df1[,403]-df1[,426]
#M_CONTINUE <- M_R*ALIVE*M_NSE
df1[,405] <- df1[,9]*df1[,402]*df1[,12]
#M_DROP <- 1-MORT-M_CONTINUE ## drop out rate due to non-response and side effects
df1[,406] <- 1-df1[,401]-df1[,405] ## drop out rate due to non-response and side effects
#MC_DROP <- (1-M_R)*noben*ALIVE
df1[,424] <- (1-df1[,9])*df1[,90]*df1[,402] ##Probability of progression following
if (sap3==7){
  #MC_DROP <- (1-M_R)*maxben*ALIVE
  df1[,424] <- (1-df1[,9])*df1[,91]*df1[,402] ##Probability of progression following
}
#MTF_DROP <- 1-MORT-M_CONTINUE-MC_DROP #Progress to TF instead of minor surgery if medication partially successful
df1[,423] <- 1-df1[,401]-df1[,405]-df1[,424]
#mModel["M3","MR"] <- M_CONTINUE
df1[(1000+6*25+6)]<-df1[,405]
if (sap3==5){
  #mModel["M3","MR"] <- 0
  df1[(1000+6*25+6)]<-0
}
#mModel["M1","M2"] <- ALIVE
df1[(1000+4*25+4)]<-df1[,402]
if (sap3==5){
  df1[(1000+4*25+4)]<-0
}
#mModel["M2","M3"] <- ALIVE
df1[(1000+5*25+5)]<-df1[,402]
if (sap3==5){
  df1[(1000+5*25+5)]<-0
}
#mModel["M1","M1"] <- 0
df1[(1000+3*25+4)]<-0
#mModel["M2","M2"] <- 0
df1[(1000+4*25+5)]<-0
#mModel["M3","M3"] <- 0
df1[(1000+5*25+6)]<-0
#MR_CONTINUE <- M_SR*ALIVE
df1[,407] <- df1[,13]*df1[,402]
#mModel["MR","MR"] <- MR_CONTINUE ##Can vary this in SA to allow for declining effectiveness over time
df1[(1000+6*25+7)]<-df1[,407]
#MR_DROP <- 1-MORT-MR_CONTINUE
df1[,432] <- 1-df1[,401]-df1[,407]
#M_SR_DROP <- 1-MORT-MR_CONTINUE
df1[,429] <- 1-df1[,401]-df1[,407]
#MC_SR_DROP <- noben*ALIVE
df1[,430] <- df1[,90]*(1-df1[,13])*df1[,402] ##Probability of progression following
if (sap3==7){
  #MC_SR_DROP <- maxben*ALIVE
  df1[,430] <- df1[,91]*(1-df1[,13])*df1[,402] ##Probability of progression following
}
#MTF_SR_DROP <- 1-MORT-MR_CONTINUE-MC_SR_DROP #Progress to TF instead of minor surgery if medication partially successful
df1[,431] <- 1-df1[,401]-df1[,407]-df1[,430]
#B_CONTINUE <- B_R*ALIVE*B_NSE
df1[,409] <- df1[,16]*df1[,402]*df1[,19]
#B_DROP <- 1-MORT-B_CONTINUE ## drop out rate due to non-response and side effects. Assumption that botox
df1[,410] <- 1-df1[,401]-df1[,409] ## drop out rate due to non-response and side effects. Assumption that botox
#BC_DROP <- (1-B_R)*noben*ALIVE
df1[,428] <- (1-df1[,16])*df1[,90]*df1[,402] ##Probability of progression following
if (sap3==7){
  #BC_DROP <- (1-B_R)*maxben*ALIVE
  df1[,428] <- (1-df1[,16])*df1[,91]*df1[,402] ##Probability of progression following
}
#BTF_DROP <- 1-MORT-B_CONTINUE-BC_DROP #Progress to TF instead of minor surgery if medication partially successful
df1[,427] <- 1-df1[,401]-df1[,409]-df1[,428]
##drop out due to side effects and lack of effectiveness occurs at the end of the first month and immediately
##move on to next treatment after 1st month
#mModel["B1","B2"] <- B_CONTINUE
df1[(1000+8*25+8)]<-df1[,409]
#mModel["B1","B1"] <- 0
df1[(1000+7*25+8)]<-0
#mModel["B2","B3"] <- ALIVE
df1[(1000+9*25+9)]<-df1[,402]
#mModel["B3","B4"] <- ALIVE
df1[(1000+10*25+10)]<-df1[,402]
#mModel["B4","B5"] <- ALIVE
df1[(1000+11*25+11)]<-df1[,402]
#mModel["B5","B6"] <- ALIVE
df1[(1000+12*25+12)]<-df1[,402]
#mModel["B6","BS"] <- ALIVE
df1[(1000+13*25+13)]<-df1[,402]
#mModel["BS","B2"] <- ALIVE
df1[(1000+8*25+14)]<-df1[,402]

#CCS_TRANS <- CCS*ALIVE

```

```

df1[,411] <- df1[,24]*df1[,402]
#mModel["C","CCS"]<-CCS_TRANS
df1[(1000+16*25+15)]<-df1[,411]
#mModel["C","C"] <- 0
df1[(1000+14*25+15)]<-0
#no_CCS <- 1-CCS
df1[,412]<-1-df1[,24]
#C_SUCCESS <- C_R*ALIVE*no_CCS
df1[,413] <- df1[,22]*df1[,402]*df1[,412]
#mModel["C","CR"]<-C_SUCCESS
df1[(1000+15*25+15)]<-df1[,413]
#C_DROP <- 1-MORT-CCS_TRANS-C_SUCCESS
df1[,414] <- 1-df1[,401]-df1[,411]-df1[,413]
#CC_DROP <- Rc0*ALIVE
df1[,434] <- df1[,50]*df1[,402]
#CC_if <- 1-MORT-CCS_TRANS-C_SUCCESS-CC_DROP
df1[,435] <- 1-df1[,401]-df1[,411]-df1[,413]-df1[,434]
#mModel["CR","CR"] <- ALIVE
df1[(1000+15*25+16)]<-df1[,402]
#mModel["CCS","CCS"] <- ALIVE
df1[(1000+16*25+17)]<-df1[,402]
#ELCS_TRANS <- ELCS*ALIVE
df1[,415] <- df1[,26]*df1[,402]
#mModel["E","ELCS"]<-ELCS_TRANS
df1[(1000+19*25+18)]<-df1[,415]
#EMCS_TRANS <- EMCS*ALIVE
df1[,416] <- df1[,27]*df1[,402]
#mModel["E","EMCS"]<-EMCS_TRANS
df1[(1000+20*25+18)]<-df1[,416]
#EHCS_TRANS <- EHCS*ALIVE
df1[,417] <- df1[,28]*df1[,402]
#mModel["E","EHCS"]<-EHCS_TRANS
df1[(1000+21*25+18)]<-df1[,417]
#ERCS_TRANS <- ERCS*ALIVE
df1[,418] <- df1[,29]*df1[,402]
#mModel["E","ERCS"]<-ERCS_TRANS
df1[(1000+22*25+18)]<-df1[,418]
#no_ECS <- 1-ELCS-EMCS-EHCS-ERCS
df1[,419] <- 1-df1[,26]-df1[,27]-df1[,28]-df1[,29]
#E_SUCCESS <- E_R*ALIVE*no_ECS
df1[,420] <- 1-df1[,415]-df1[,416]-df1[,417]-df1[,418]
#mModel["E","ER"]<-E_SUCCESS
df1[(1000+18*25+18)]<-df1[,420]
#mModel["E","E"] <- 0
df1[(1000+17*25+18)]<-0
#E_NR <- 1-MORT-ELCS_TRANS-EMCS_TRANS-EHCS_TRANS-ERCS_TRANS-E_SUCCESS
df1[,421] <- 1-df1[,401]-df1[,415]-df1[,416]-df1[,417]-df1[,418]-df1[,420]
#mModel["ER","ER"] <- ALIVE
df1[(1000+18*25+19)]<-df1[,402]
#mModel["ELCS","ELCS"] <- ALIVE
df1[(1000+19*25+20)]<-df1[,402]
#mModel["EMCS","EMCS"] <- ALIVE
df1[(1000+20*25+21)]<-df1[,402]
#mModel["EHCS","EHCS"] <- ALIVE
df1[(1000+21*25+22)]<-df1[,402]
#mModel["ERCS","ERCS"] <- ALIVE
df1[(1000+22*25+23)]<-df1[,402]
#mModel["TF","TF"] <- ALIVE
df1[(1000+23*25+24)]<-df1[,402]
#mModel["D","D"] <- 1
df1[(1000+24*25+25)]<-1
#####
#Set transition matrix for each sequence
#####
if (b == 33| b == 34| b == 35| b == 36| b == 41| b == 42| b == 43| b == 44| b == 57| b == 58| b == 59| b == 60){
  #mModel["IS","M1"]<-IS_DROP
  df1[(1000+3*25+2)]<-df1[,404]
}
if (b == 25| b == 26| b == 27| b == 28| b == 45| b == 46| b == 47| b == 48| b == 49| b == 50| b == 51| b == 52){
  #mModel["IS","B1"]<-IS_DROP
  df1[(1000+7*25+2)]<-df1[,404]
}
if (b == 15| b == 16| b == 31| b == 32| b == 39| b == 40| b == 55| b == 56| b == 63| b == 64){
  #mModel["IS","C"]<-ISC_DROP
  df1[(1000+14*25+2)]<-df1[,426]
  #mModel["IS","TF"]<-ISTF_DROP
  df1[(1000+23*25+2)]<-df1[,425]
}
if (sap3==6){
  if (b == 15| b == 16| b == 31| b == 32| b == 39| b == 40| b == 55| b == 56| b == 63| b == 64){
    #mModel["IS","C"]<-IS_DROP
    df1[(1000+14*25+2)]<-df1[,404]
  }
}
if (b == 14| b == 30| b == 38| b == 54| b == 62){
  #mModel["IS","E"]<-ISC_DROP
  df1[(1000+17*25+2)]<-df1[,426]
  #mModel["IS","TF"]<-ISTF_DROP
  df1[(1000+23*25+2)]<-df1[,425]
}
if (sap3==6){
  if (b == 14| b == 30| b == 38| b == 54| b == 62){
    #mModel["IS","E"]<-IS_DROP
    df1[(1000+17*25+2)]<-df1[,404]
  }
}
if (b == 13| b == 29| b == 37| b == 53| b == 61){
  #mModel["IS","TF"]<-IS_DROP
  df1[(1000+23*25+2)]<-df1[,404]
}
#####

```

```

if (b == 37| b == 38| b == 39| b == 40| b == 49| b == 50| b == 51| b == 52| b == 61| b == 62| b == 63| b == 64){
#mModel["M3","IS"]<-M_DROP
df1[, (1000+1*25+6)]<-df1[,406]
#mModel["MR","IS"]<-M_RSR
df1[, (1000+1*25+7)]<-df1[,432]
}
if (b == 17| b == 18| b == 19| b == 20| b == 41| b == 42| b == 43| b == 44| b == 53| b == 54| b == 55| b == 56){
#mModel["M3","B1"]<-M_DROP
df1[, (1000+7*25+6)]<-df1[,406]
#mModel["MR","B1"]<-MR-CONTINUE
df1[, (1000+7*25+7)]<-df1[,432]
}
if (b == 11| b == 12| b == 23| b == 24| b == 35| b == 36| b == 47| b == 48| b == 59| b == 60){
#mModel["M3","C"]<-MC_DROP
df1[, (1000+14*25+6)]<-df1[,424]
#mModel["M3","TF"]<-MTF_DROP
df1[, (1000+23*25+6)]<-df1[,423]
#mModel["MR","C"]<-MC_SR_DROP
df1[, (1000+14*25+7)]<-df1[,431]
#mModel["MR","TF"]<-MTF_SR_DROP
df1[, (1000+23*25+7)]<-df1[,430]
}
if (sap3==6){
if (b == 11| b == 12| b == 23| b == 24| b == 35| b == 36| b == 47| b == 48| b == 59| b == 60){
#mModel["M3","C"]<-M_DROP
df1[, (1000+14*25+6)]<-df1[,406]
#mModel["MR","C"]<-M_SR_DROP
df1[, (1000+14*25+7)]<-df1[,429]
}
}
if (b == 10| b == 22| b == 34| b == 46| b == 58){
#mModel["M3","E"]<-MC_DROP
df1[, (1000+17*25+6)]<-df1[,424]
#mModel["M3","TF"]<-MTF_DROP
df1[, (1000+23*25+6)]<-df1[,423]
#mModel["MR","E"]<-MC_SR_DROP
df1[, (1000+17*25+7)]<-df1[,431]
#mModel["MR","TF"]<-MTF_SR_DROP
df1[, (1000+23*25+7)]<-df1[,430]
}
if (sap3==6){
if (b == 10| b == 22| b == 34| b == 46| b == 58){
#mModel["M3","E"]<-M_DROP
df1[, (1000+17*25+6)]<-df1[,406]
#mModel["MR","E"]<-M_SR_DROP
df1[, (1000+17*25+7)]<-df1[,429]
}
}
}
if (b == 9| b == 21| b == 33| b == 45| b == 57){
#mModel["M3","TF"]<-M_DROP
df1[, (1000+23*25+6)]<-df1[,406]
#mModel["MR","TF"]<-M_SR_DROP
df1[, (1000+23*25+7)]<-df1[,429]
}
}
#####
if (b == 29| b == 30| b == 31| b == 32| b == 53| b == 54| b == 55| b == 56| b == 57| b == 58| b == 59| b == 60){
#mModel["B1","IS"]<-B_DROP
df1[, (1000+1*25+8)]<-df1[,410]
}
if (b == 21| b == 22| b == 23| b == 24| b == 45| b == 46| b == 47| b == 48| b == 61| b == 62| b == 63| b == 64){
#mModel["B1","M1"]<-B_DROP
df1[, (1000+3*25+8)]<-df1[,410]
}
if (b == 7| b == 8| b == 19| b == 20| b == 27| b == 28| b == 43| b == 44| b == 51| b == 52){
#mModel["B1","C"]<-BC_DROP
df1[, (1000+14*25+8)]<-df1[,428]
#mModel["B1","TF"]<-BTF_DROP
df1[, (1000+23*25+8)]<-df1[,427]
}
if (sap3==6){
if (b == 7| b == 8| b == 19| b == 20| b == 27| b == 28| b == 43| b == 44| b == 51| b == 52){
#mModel["B1","C"]<-B_DROP
df1[, (1000+14*25+8)]<-df1[,410]
}
}
if (b == 6| b == 18| b == 26| b == 42| b == 50){
#mModel["B1","E"]<-BC_DROP
df1[, (1000+17*25+8)]<-df1[,428]
#mModel["B1","TF"]<-BTF_DROP
df1[, (1000+23*25+8)]<-df1[,427]
}
if (sap3==6){
if (b == 6| b == 18| b == 26| b == 42| b == 50){
#mModel["B1","E"]<-B_DROP
df1[, (1000+17*25+8)]<-df1[,410]
}
}
if (b == 5| b == 17| b == 25| b == 41| b == 49){
#mModel["B1","TF"]<-B_DROP
df1[, (1000+23*25+8)]<-df1[,410]
}
}
#####
if (b == 4| b == 8| b == 12| b == 16| b == 20| b == 24| b == 28| b == 32| b == 36| b == 40| b == 44| b == 48| b == 52|
b == 56| b == 60| b == 64){
#mModel["C","E"]<-CC_DROP
df1[, (1000+17*25+15)]<-df1[,434]
#mModel["C","TF"]<-CC_tf
df1[, (1000+23*25+15)]<-df1[,435]
}
if (sap3==6){

```

```

if (b == 4|b == 8|b == 12|b == 16|b == 20|b == 24|b == 28|b == 32|b == 36|b == 40|b == 44|b == 48|b == 52|
    b == 56|b == 60|b == 64){
  #mModel["C","E"]<-C_DROP
  df1[,(1000+17*25+15)]<-df1[,414]
}
}
if (b == 3|b == 7|b == 11|b == 15|b == 19|b == 23|b == 27|b == 31|b == 35|b == 39|b == 43|b == 47|b == 51|
    b == 55|b == 59|b == 63){
  #mModel["C","F"]<-C_DROP
  df1[,(1000+23*25+15)]<-df1[,414]
}
#####
if (b == 2|b == 4|b == 6|b == 8|b == 10|b == 12|b == 14|b == 16|b == 18|b == 20|b == 22|b == 24|b == 26|
    b == 28|b == 30|b == 32|b == 34|b == 36|b == 38|b == 40|b == 42|b == 44|b == 46|b == 48|b == 50|
    b == 52|b == 54|b == 56|b == 58|b == 60|b == 62|b == 64){
  #mModel["E","F"]<-0
  df1[,(1000+23*25+18)]<-0
}
#####
for (j in 1:25){
  ##define holding intermediate states
  df1[,(3001+(j-1)*25):(3025+(j-1)*25)]<-df1[,301:325]*df1[,(1001+(j-1)*25):(1001+24+(j-1)*25)]#A
}
for (j in 1:25){
  ##holding vector for the initial population
  df1[,(301+(j-1))]<-rowSums(df1[,(3001+(j-1)*25):(3025+(j-1)*25)])
}
##derive the population distributions from the second cycle onwards
df1[,(4001+(i-1)*25):(4025+(i-1)*25)]<-df1[,301:325]
df1[,(6001+(i-1)*25):(6025+(i-1)*25)]<-df1[,(4001+(i-1)*25):(4025+(i-1)*25)]*(df1[,201:225]/(1+0.035)^(i-11-0.5));
##derive the Costs from the second cycle onwards
df1[,(8001+(i-1)*25):(8025+(i-1)*25)]<-df1[,(4001+(i-1)*25):(4025+(i-1)*25)]*df1[,101:125]/(1+0.035)^(i-11-0.5);
#Sum the QALYs across the states for each cycle
df1[,(10001+(i-1))]<-rowSums(df1[,(6001+(i-1)*25):(6025+(i-1)*25)])
#Sum the costs across the states for each iteration
df1[,(10101+(i-1))]<-rowSums(df1[,(8001+(i-1)*25):(8025+(i-1)*25)])
} #END i in 13:58 loop
#Sum the QALYs across the cycles
df1[,10201]<-rowSums(df1[,10001:10058])
#Sum the Costs across the cycles
df1[,10202]<-rowSums(df1[,10101:10158])
rmd[,1+b]<-df1[,10201]
rmd[,65+b]<-df1[,10202]
}#end intervention loop
mcmc<-rmd
(mcmc);
}

```